



## Benchmark analysis of day-ahead solar power forecasting techniques using weather predictions

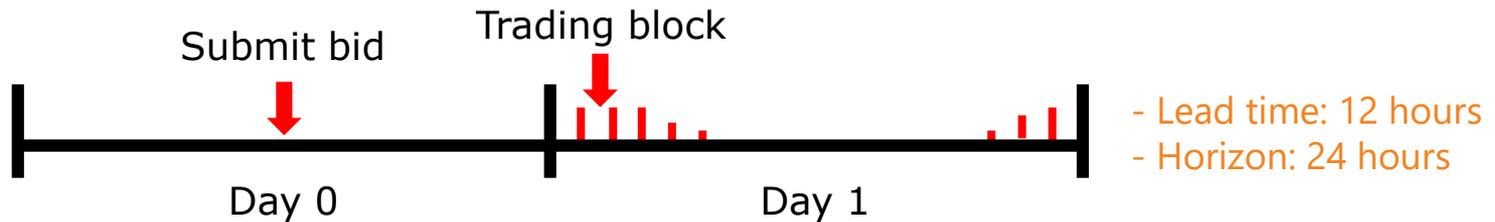
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ISES Webinar August 27, 2020

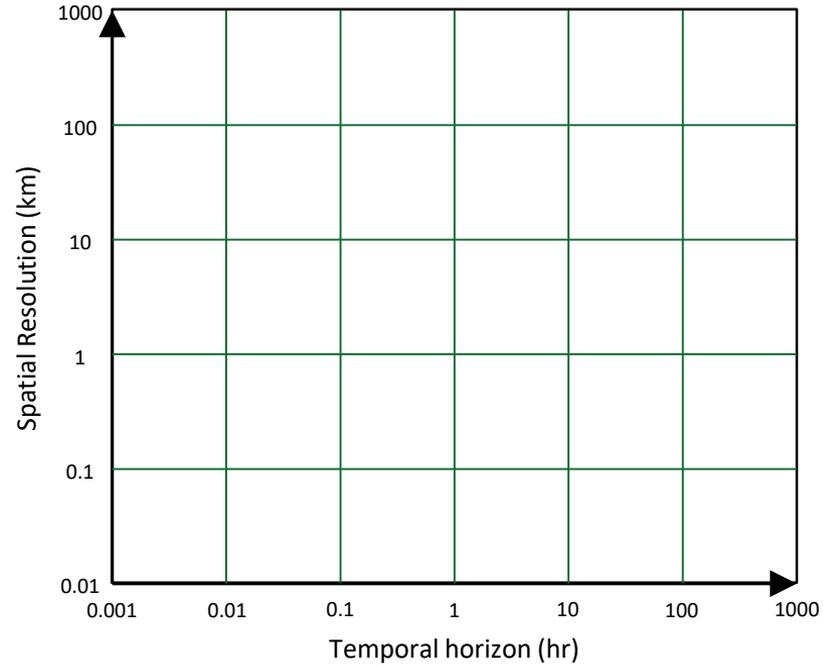
# Introduction



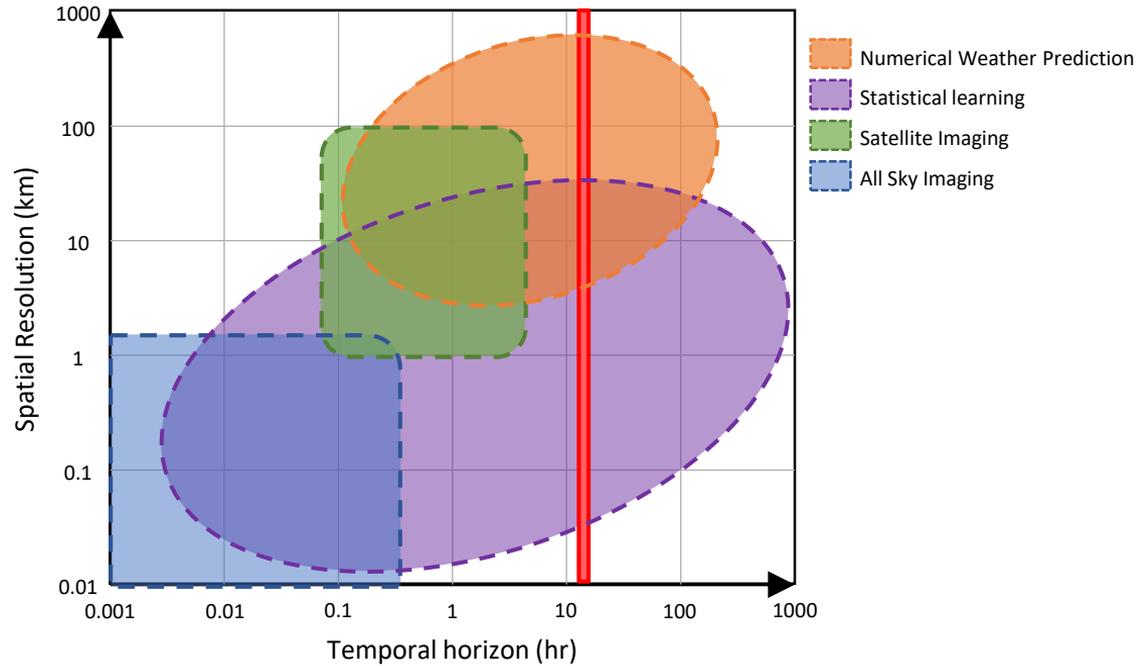
- Why day-ahead forecasting?
  - Most electricity traded in day-ahead market
  - Schedule dispatch of power generation
- Spot market trading:



# Solar Forecasting Techniques



# Solar Forecasting Techniques



# Contribution

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- Comparison of models that utilize NWP to forecast the PV power output
- Examining the value of aggregating PV systems for forecasting

# PV-systems in Utrecht



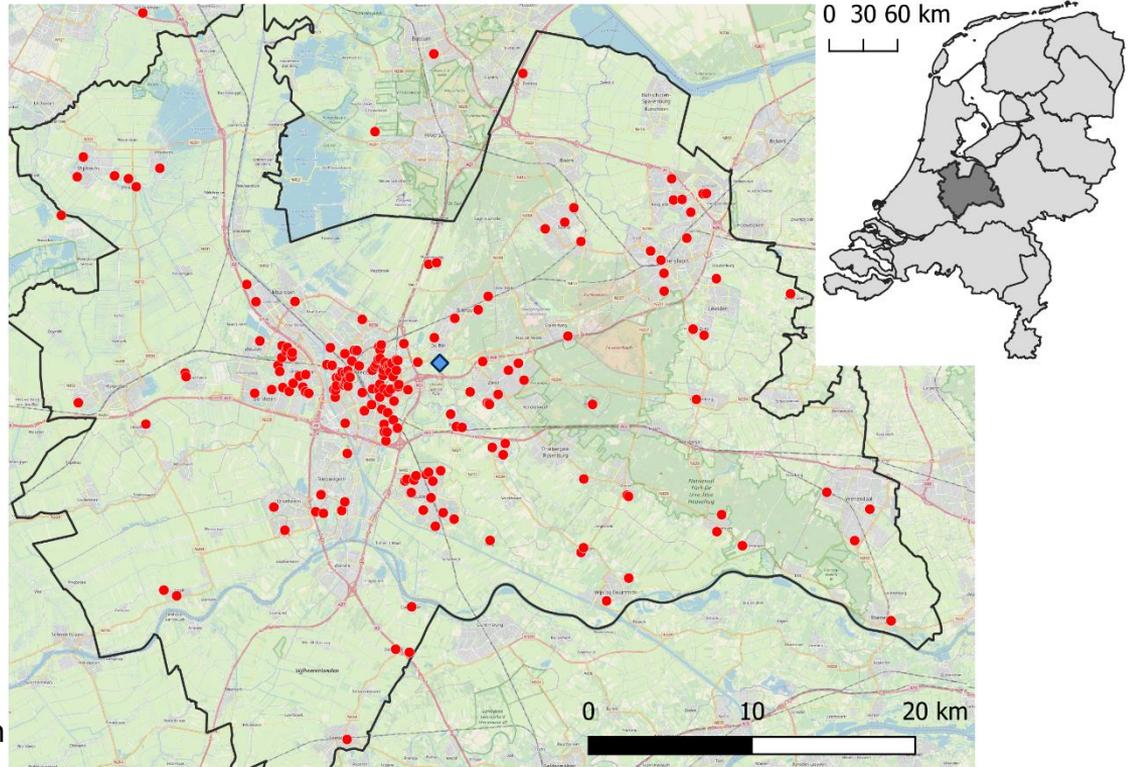
## UPP-network

- 200 PV-systems
- Utrecht (NL)
- 38 x 54 km<sup>2</sup>
- 2013 - 2017

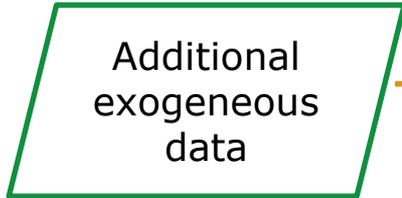
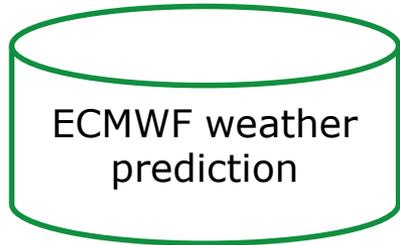
PVPS

### Legend

- PV-system
- ◆ Weather station



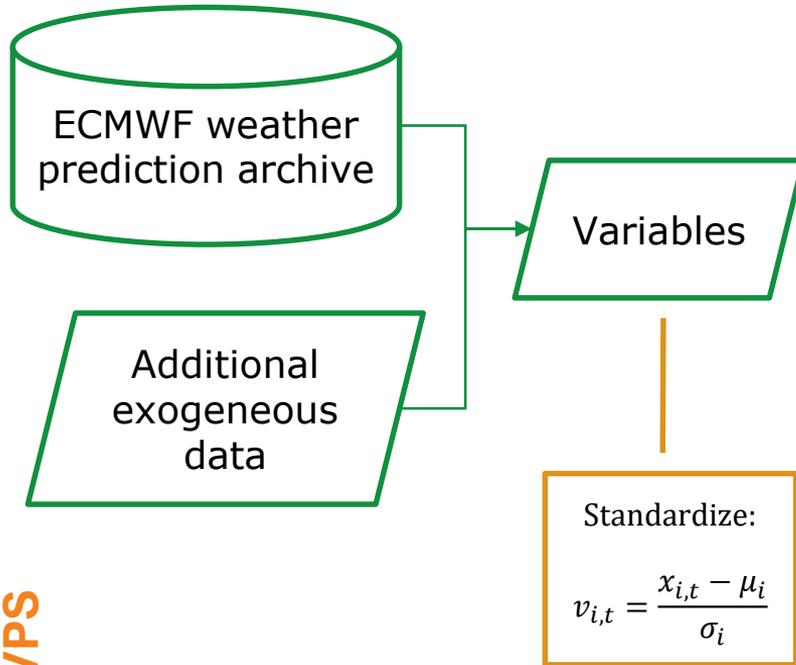
# Methods: Input Variables



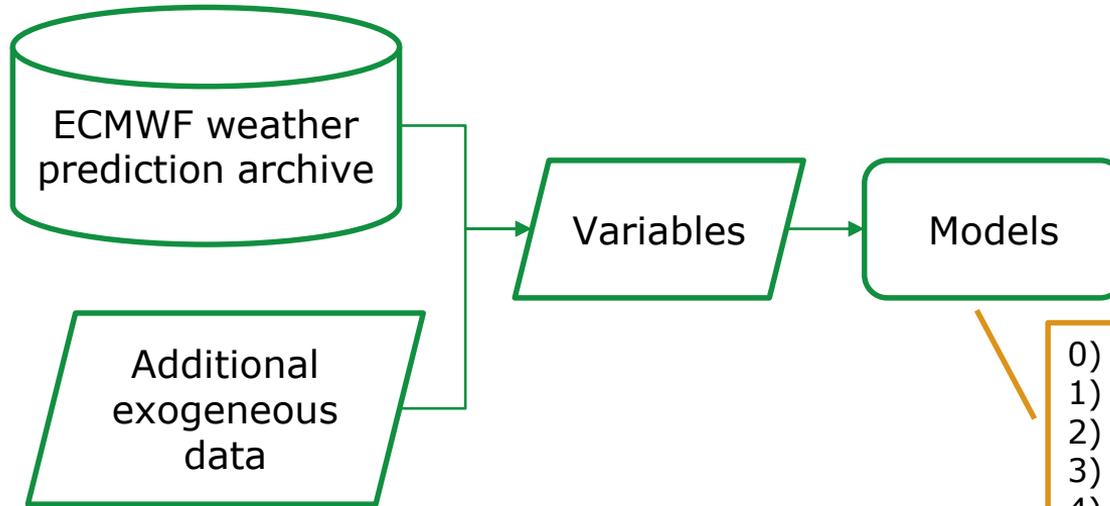
- Mean sea level pressure
- Surface temperature at 2m
- Dewpoint temperature at 2m
- Zonal wind vector at 10m
- Meridional wind vector at 10m
- Surface solar radiation downwards
- Cloud cover at low, mid and high altitude
- Total precipitation

- Clear sky irradiance
- Solar zenith angle
- Month
- Hour

# Methods: Process Variables

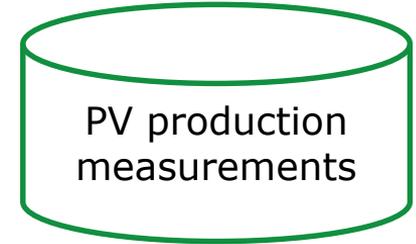
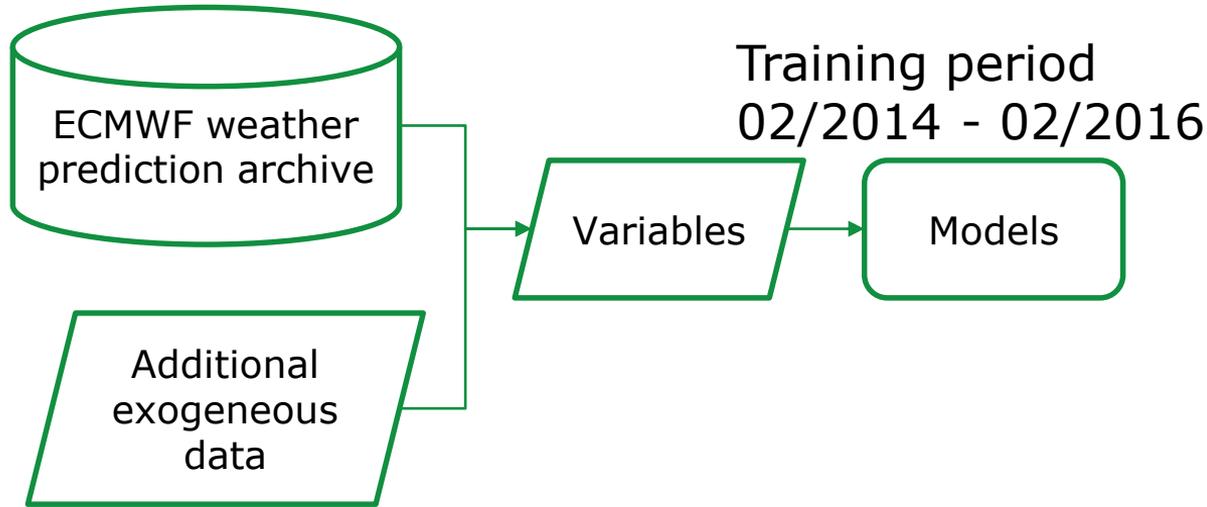


# Methods: Forecasting Models



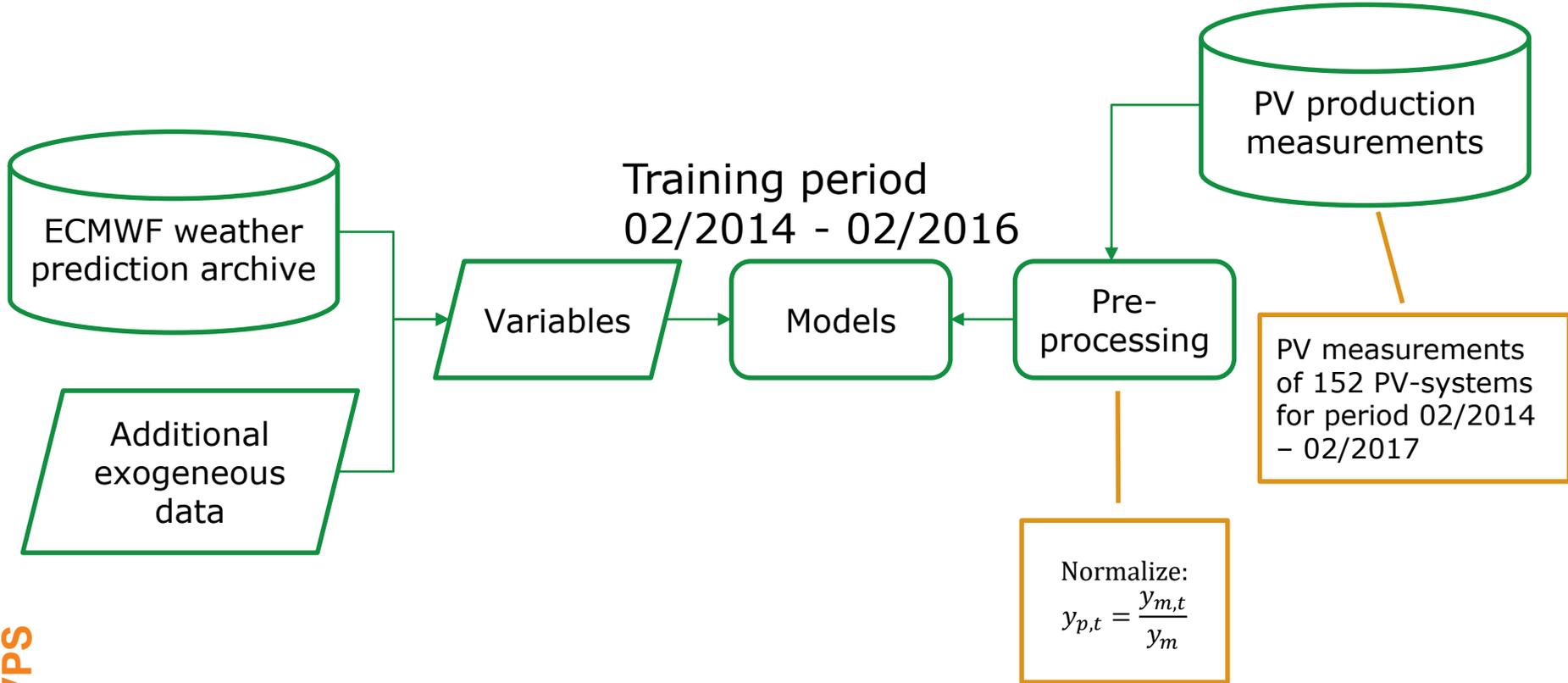
- 0) Smart Persistence (SP)
- 1) Multi-variate Linear Regression (MLR)
- 2) LASSO Regression (LASSO)
- 3) Linear Support Vector Machine (L-SVM)
- 4) Kernel Support Vector Machine (K-SVM)
- 5) Random Forests regression (RF)
- 6) Gradient Boosting regression (GB)
- 7) Feed-forward Neural Network (FNN)

# Methods: Train Models

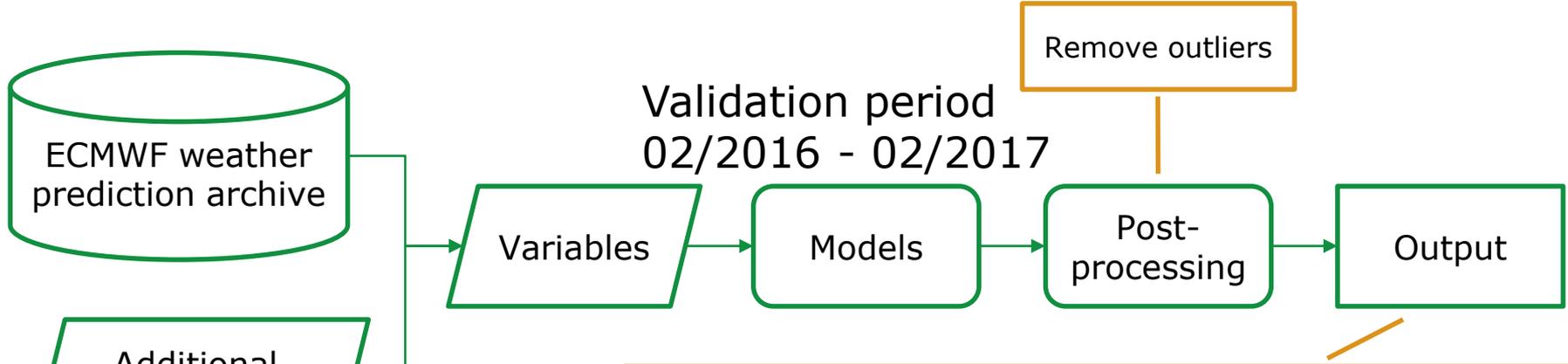


PV measurements of 152 PV-systems for period 02/2014 - 02/2017

# Methods: Train Models



# Methods: Forecast & Evaluation



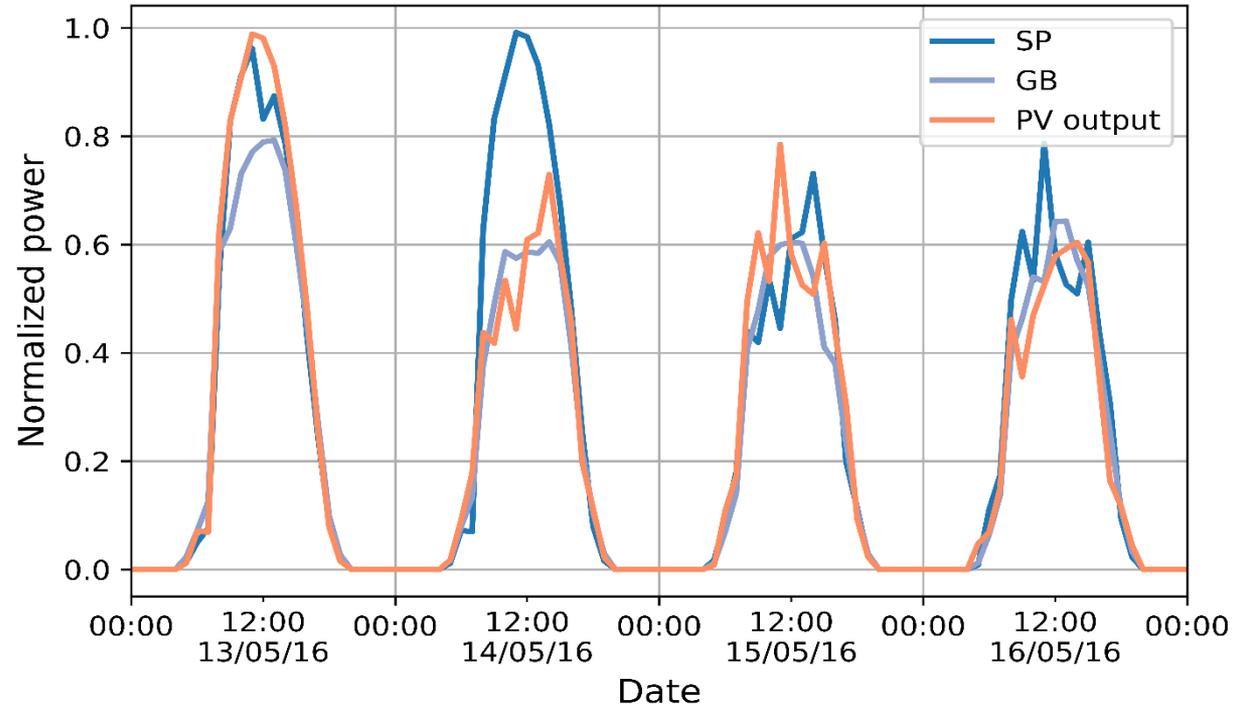
Evaluate the performance of the forecast models with:

- 1) Mean Absolute Error (MAE):  $MAE = \frac{1}{n} \sum_{t=1}^n |y_{p,t} - y_{m,t}|$
- 2) Root Mean Square Error:  $RMSE = \sqrt{\frac{1}{n} \sum_{t=1}^n (y_{p,t} - y_{m,t})^2}$
- 3) Skill Score:  $Skill\ Score = 1 - \frac{RMSE_{for}}{RMSE_{ref}}$

# Results: Time-series Forecast



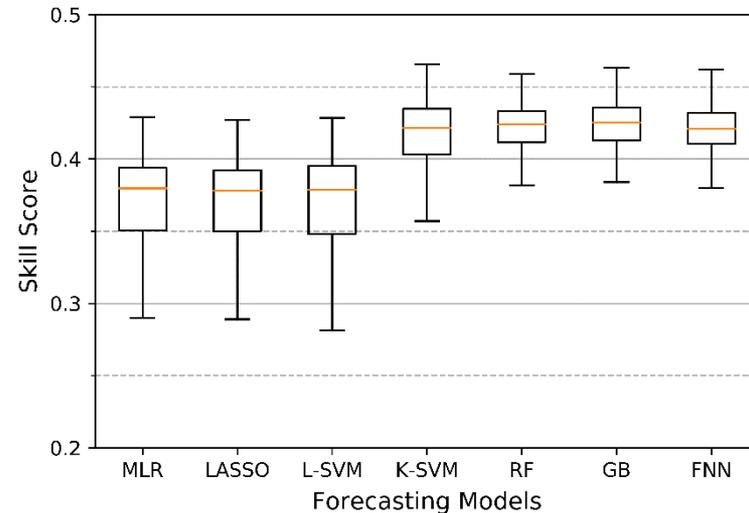
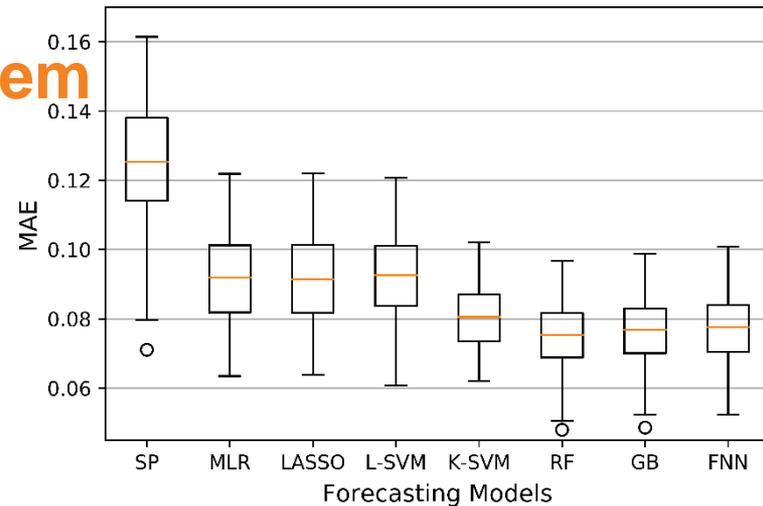
- Example of forecast



# Results: Forecasting single PV-system

- All statistical models perform better than SP
- The more sophisticated statistical models outperform the linear models
- Best performance RF and GB

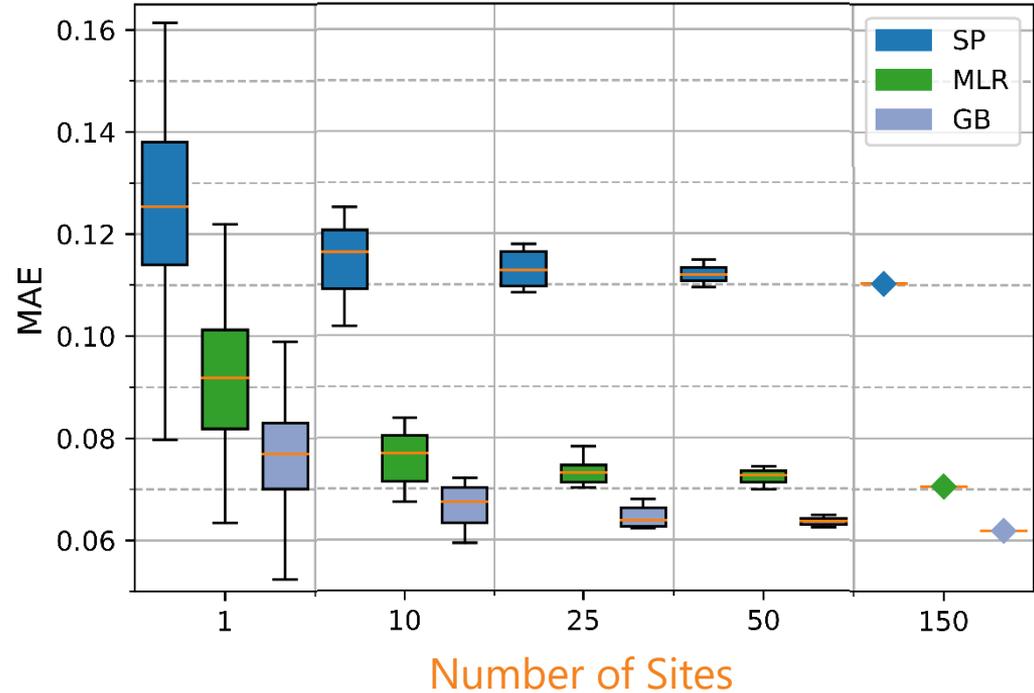
	K-SVM	RF	GB	FNN
MAE	8.04%	7.48%	7.63%	7.71%
Skill Score	40.1%	41.2%	41.4%	41.1%



# Results: Forecasting multiple PV-systems (1)



- The performance of all models improve as the number of sites increase:
  - Statistical models (20-25%)
  - SP (10%)
- The rate of improvement decrease as the number of sites increase
- Deviation of forecast errors decrease as the number of sites increase



# Forecasting multiple PV-systems



- All statistical models perform better than SP
- The more sophisticated models outperform the linear models
- RF best performance in terms of MAE
- K-SVM performs best in terms of the Skill Score

Models	MAE (%)	Skill Score (%)
SP	11.0	-
MLR	7.06	42.5
LASSO	7.06	42.0
L-SVM	7.20	42.5
K-SVM	6.29	46.5
RF	6.09	45.8
GB	6.19	45.9
FNN	6.30	46.1

MAE and Skill Score for 150 PV-systems

# Conclusions

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- Comparison of statistical PV power forecasting models
- Single PV-system
  - Sophisticated models outperform the linear models
  - RF and GB outperform the other models
- Aggregated PV-systems
  - Benefits all forecasting models
  - Reduces the difference in errors among the statistical models

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